# Determination of a High Potential Barrier Hindering Internal Rotation from the Analysis of the Ground State Spectrum: The Case of Ethyl Cyanide

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The ground state rotational spectrum of ethyl cyanide has been reinvestigated between 8 and 250 GHz. The barrier potential  $V_3$  is calculated from 11 high J, ground state transitions which were found split into doublets.  $V_3$  is 3007 cal/mole, assuming  $I_{\alpha} = 3.167$  uÅ<sup>2</sup> and < (i, a) = 48.65°. The splittings of the K-doublet transitious have also been analyzed.

## Introduction

Microwave spectroscopy is a very accurate method to determine the potential barrier restricting the rotation of a methyl group [1-3]. The finite barrier hindering internal rotation normally splits each rotational line into two components. This splitting depends strongly on the height of the barrier. Generally the barrier is determined from the splittings in the ground torsional state. But for a high barrier, these splittings may be too small to be resolved. In this case the barrier may be determined from the larger splittings of rotational lines in an excited torsional state. However the analysis may be much more difficult because of the possible interaction of the torsion with the other vibrations. In this respect ethyl cyanide, CH<sub>3</sub>CH<sub>2</sub>CN is a very interesting molecule: no internal rotation splitting could be observed up to now in the ground torsional state and an interaction between the CCN-bend in plane  $(v_{13} = 206.9 \pm 0.5 \text{ cm}^{-1} \text{ [4]})$  and the first excited torsional state ( $v_{23} = 210.5 \text{ cm}^{-1}$  [5]) affects significantly the internal rotation fine structure [4]. Dreizler and coworkers [6, 7] developed a simplified rotational Hamiltonian with five degrees of freedom (three of overall rotation, one of internal rotation, and one of vibration) and suceeded in explaining the excited states fine structure [4]. This Hamiltonian was successfully used for a lot of other molecules [8] where an interaction between torsion

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and a vibration also occurs. But the general conclusion of that work is that "barrier determination from the ground state spectra is the most reliable" [9].

For this reason and to investigate the possibility for the determination of high barriers from the ground state we decided to search for internal rotation splittings in the ground torsional state of ethyl cyanide. A preliminary calculation using the constants of Ref. [4] showed that some lines were probably sufficiently split to be resolved with a "conventional" spectrometer (i. e. splittings > 100 Hz). These lines are either of high J or of high K, so a centrifugal distortion analysis was first carried out and is reported in Reference [10].

## Experimental

At Kiel a conventional spectrometer with  $33\,\mathrm{kHz}$  Stark modulation was used [11, 12] for lines below  $40\,\mathrm{GHz}$ . Above this frequency the lines were measured in Lille with a video spectrometer employing superheterodyne detection [13]. In both cases the cells were cooled to  $-70\,^\circ\mathrm{C}$ . The measured lines showing a resolved internal rotation splitting are reported in Tables 1 and 2.

## Theory

Following the P. A. M. method the Hamiltonian may be written [1-3]:

$$H_{0\sigma} = H_{R} + F \sum_{n=1}^{6} W_{0\sigma}^{(n)} (\varrho_{a} P_{a} + \varrho_{b} P_{b})^{n}, \qquad (1)$$

where  $H_{\mathrm{R}}$  is the usual rotational Hamiltonian in-

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Table 1. Rotational transitions of ethyl cyanide (ground state).

$J_{KK_+} \rightarrow J'_{K'K_+'}$	$\Gamma$	F  o F'	$v_{\rm exp}$	$v_{A-E} \exp$	v <sub>A−E</sub> exp — v <sub>A−E</sub> cal
$7_{0,17} \rightarrow 17_{1,16}$	Е		74 901.194	0.185	- 0.015
	A	$   \left\{     \begin{array}{l}       18 \rightarrow 18 \\       16 \rightarrow 16   \end{array}   \right\} $	74 901.379		
$23_{1,22} \rightarrow 23_{2,21}$	E E	$17 \rightarrow 17$ $\begin{cases} 24 \rightarrow 24 \\ 22 \rightarrow 22 \end{cases}$	78 436.747	0.131	0.013
	A	$(22 \rightarrow 22)$ $(24 \rightarrow 24)$	70 496 071		
	$\mathbf{E}$	$egin{pmatrix} (22  ightarrow 22 \ 23  ightarrow 23 \end{pmatrix}$	78 436.871		
$8_{1,28} \rightarrow 27_{2,25}$	A	$\left\{ egin{array}{l} 29 ightarrow28 \ 27 ightarrow26 \end{array}  ight\}$	11 244.203	0.491	-0.026
	$\mathbf{E}$		11 243.712		
$9_{1,29} \rightarrow 28_{2,26}$	A	$29 \rightarrow 28$	17 534.711	0.560	0.015
	$\mathbf{A}$	$ \begin{cases} 30 \rightarrow 29 \\ 28 \rightarrow 27 \end{cases} $	$17\ 534.382$		
	$\mathbf{E}$	$29 \rightarrow 28$	17534.148		
	$\mathbf{E}$	$egin{cases} 30 ightarrow29 \ 28 ightarrow27 \end{Bmatrix}$	17 533.824		
$0_{1,30} \rightarrow 29_{2,27}$	$\mathbf{A}$	$30 \rightarrow 29$	24 105.663	0.564	-0.05
	$\mathbf{A}$	$ \begin{cases} 31 \rightarrow 30 \\ 29 \rightarrow 28 \end{cases} $	24 105.341		
	$\mathbf{E}$	$30 \rightarrow 29$	24 105.099		
	$\mathbf{E}$	$ \begin{cases} 31 \rightarrow 30 \\ 29 \rightarrow 28 \end{cases} $	24 104.776		
$1_{1,31} \rightarrow 30_{2,28}$	$\mathbf{A}$	$31 \rightarrow 30$	30896.375	0.619	0.024
	$\mathbf{A}$	$ \begin{array}{c} 31 \rightarrow 31 \\ 30 \rightarrow 29 \end{array} $	30896.065		
	$\mathbf{E}$	$[31 \rightarrow 30]$	30895.786		
	$\mathbf{E}$	$ \begin{cases} 32 \rightarrow 31 \\ 30 \rightarrow 29 \end{cases} $	30895.430		
$32_{1,32} \rightarrow 31_{2,29}$	A	$32 \rightarrow 31$	37845.907	0.621	0.03
	$\mathbf{A}$	$ \begin{cases} 33 \rightarrow 32 \\ 31 \rightarrow 30 \end{cases} $	$37\ 845.592$		
	$\mathbf{E}$	$32 \rightarrow 31$	37 845.307		
	$\mathbf{E}$	$ \begin{cases} 33 \rightarrow 32 \\ 31 \rightarrow 30 \end{cases} $	37 844.961		
$35_{3,32} \rightarrow 36_{2,35}$	$\mathbf{A}$	$35 \rightarrow 36$	38855.761	-0.485	0.006
		$egin{array}{l} 36  ightarrow 37 \ 34  ightarrow 35 \ \end{array}$	38856.019		
	$\mathbf{E}$	$35 \rightarrow 36$	38856.249		
		$egin{array}{l} 36 ightarrow37 \ 34 ightarrow35 \ \end{array}$	38856.502		
$36_{3,33} \rightarrow 37_{2,36}$	$\mathbf{A}$	$36 \rightarrow 37$	32599.473	-0.516	-0.002
		$egin{array}{c} 37  ightarrow 38 \ 35  ightarrow 37 \ \end{array}$	32599.753		
	$\mathbf{E}$	$36 \rightarrow 37$	32600.011		
		$37  ightarrow 38 \ 35  ightarrow 37  brace$	$32\ 600.258$		
$37_{3,84} \rightarrow 38_{2,37}$	$\mathbf{A}$	$37 \rightarrow 38$	25896.166	-0.528	0.009
		38  ightarrow 39 36  ightarrow 37	25896.418		
	$\mathbf{E}$	$37 \rightarrow 38$	25896.711		
		$38 \rightarrow 39 \} \\ 36 \rightarrow 37 \}$	25896.937		
$38_{3,35} \rightarrow 39_{2,38}$	$\mathbf{A}$	$38 \rightarrow 39$	18 807.014	-0.547	0.009
		$39 \rightarrow 40$ $37 \rightarrow 38$	18807.260		
	$\mathbf{E}$	$38 \rightarrow 39'$	18807.546		
		$39 \rightarrow 40$	18 807.814		

Table 2. Internal rotation multiplets of the K-doublet transitions of ethyl cyanide.

$\overline{J_{KK_+}  ightarrow J_{K'K_+'}'}$	Tor- sional <sup>a</sup> species	$v_{\exp}[\mathrm{MHz}]$	$V_3$ calculated b [cal/mole]
$7_{35} \rightarrow 7_{44}$	E <sub>a</sub>	162 189.675 162 190.383	3080
$\begin{array}{ccc} 8_{36} \rightarrow & 8_{45} \\ 8_{36} \rightarrow & 8_{45} \\ 8_{36} \rightarrow & 8_{44} \end{array}$	$\left\{egin{array}{c} \mathbf{E_a} \\ \mathbf{A} \\ \mathbf{E_f} \end{array}\right\}$	162 166.920 162 167.445	3125
$\begin{array}{ccc} 036 \rightarrow & 044 \\ 9_{37} \rightarrow & 9_{46} \\ 9_{37} \rightarrow & 9_{46} \\ 9_{37} \rightarrow & 9_{45} \end{array}$	$ \begin{bmatrix} E_1 \\ E_2 \\ A \\ E_f \end{bmatrix} $	162 136.591 162 136.988	3125
$10_{47} \rightarrow 10_{56}$	A E <sub>a</sub>	$\begin{array}{c} 208445.383 \\ 208444.751 \end{array}$	3185
$11_{48} \rightarrow 11_{57}$	$egin{array}{c} \mathbf{A} \ \mathbf{E_a} \end{array}$	208414.703 $208414.029$	3190
$11_{47} \rightarrow 11_{56} \\ 11_{47} \rightarrow 11_{56} \\ 11_{47} \rightarrow 11_{57}$	$egin{array}{c} \mathbf{A} \\ \mathbf{E_a} \\ \mathbf{E_f} \end{array}$	208 410.987 208 410.000	3180
$12_{49}\rightarrow12_{58}$	$_{\rm E_a}^{\rm A}$	$208\ 373.223 \\ 208\ 372.451$	3140
$13_{4,10} \rightarrow 13_{5,9}$	$_{\rm E_a}^{\rm A}$	$\begin{array}{c} 208319.280 \\ 208318.717 \end{array}$	3190
$18_{5,14} \rightarrow 17_{6,11}$	$\left. egin{array}{l} \mathbf{A} \\ \mathbf{E_a} \end{array} \right\}$	93 104.267	3240
$18_{5,14} \rightarrow 17_{6,12}$	$\mathbf{E_f}$	$93\ 103.500$	
$\mathrm{mean}\;(\sigma)$			3162 (48)

a a = ARR allowed; f = ARR forbidden.

cluding centrifugal distortion and where the remaining quantities have their conventional meaning.

The denominator correction [14, 15] was not taken into account after having checked that it does not influence the splittings \*.

The internal rotation and the quadrupole splittings are of the same order of magnitude. So a coupling between these two interactions is possible [16]. To test this point we have diagonalized the Hamiltonian (1) including the nuclear quadrupole interaction term [17]. For the lines we have measured it could be concluded that the internal rotation and quadrupole interaction splittings are simply additive. So the nuclear quadrupole interaction was treated by the usual first order perturbation theory [18] using the nuclear quadrupole coupling constants of [19].

The Hamiltonian (1) up to n = 4 was diagonalized numerically. The n = 5 terms were neglected

since the n=3 terms are already insignificant and the n=6 terms were handled by a perturbation treatment using the formal equivalence between the internal rotation and the centrifugal distortion. The sextic correction form internal rotation is:

$$F W_{0\sigma}^{(6)} (\varrho_{a} P_{a} + \varrho_{b} P_{b})^{6}$$

$$= F W_{0\sigma}^{(6)} \sum_{k=0}^{6} \frac{6!}{k! (6-k)!} \varrho_{a}^{k} \varrho_{b}^{6-k} P_{a}^{k} P_{b}^{6-k}$$
(2)

while the sextic correction from the centrifugal distortion may be written [20].

$$[\alpha\beta\gamma\delta\epsilon\eta]P_{\alpha}P_{\beta}P_{\gamma}P_{\delta}P_{\varepsilon}P_{\eta}. \tag{3}$$

The Centrifugal distortion coefficients  $\left[\alpha\beta\gamma\delta\epsilon\eta\right]$  are identified with  $FW_{0\sigma}^{(6)}\varrho_{a}{}^{k}\varrho_{b}{}^{6-k}$  and after some algebra the pseudocentrifugal distortion coefficients are found and given in Table 3 for the Watson's asymmetric reduction [21].

Table 3. Pseudocentrifugal distortion coefficients for sixthorder internal rotation effects (in the A reduced Hamiltonian and for the  $I^r$  representation)\*.

$$A = 31 \alpha^{2} \beta^{4} - 3 \alpha^{4} \beta^{2}$$

$$B = -3 \alpha^{2} \beta^{4} + 31 \alpha^{4} \beta^{2}$$

$$C = -30 (\alpha^{2} \beta^{4} + \alpha^{4} \beta^{2})$$

$$\Delta_{J} = 5 \alpha^{2} \beta^{4}$$

$$\Delta_{JK} = -\frac{45}{2} \alpha^{2} \beta^{4} - \frac{15}{2} \alpha^{4} \beta^{2}$$

$$\Delta_{K} = \frac{35}{2} (\alpha^{4} \beta^{2} + \alpha^{2} \beta^{4})$$

$$\delta_{J} = \frac{5}{2} \alpha^{2} \beta^{4}$$

$$\delta_{K} = \frac{20 + 55 \sigma}{4} \alpha^{2} \beta^{4} + \frac{75}{4} \alpha^{4} \beta^{2}$$

$$\phi_{J} = \frac{1}{2} \beta^{6}$$

$$\phi_{JK} = \frac{\sigma - 9}{4} \beta^{6} + \frac{15}{2} \alpha^{2} \beta^{4}$$

$$\phi_{KJ} = \frac{5}{2} \left(1 - \frac{\sigma}{3}\right) \beta^{6} - \frac{35}{2} \alpha^{2} \beta^{4} + \frac{15}{2} \alpha^{4} \beta^{2}$$

$$\phi_{K} = \left(\frac{7\sigma}{12} - \frac{3}{4}\right) \beta^{6} + 10 \alpha^{2} \beta^{4} - 15 \alpha^{4} \beta^{2} + \alpha^{6}$$

$$\varphi_{J} = \frac{1}{4} \beta^{6}$$

$$\varphi_{JK} = \frac{3\sigma - 5}{8} \beta^{6} + \frac{15}{4} \alpha^{2} \beta^{4}$$

$$\varphi_{K} = \left(\frac{3 - \sigma}{8} + \frac{\sigma^{2}}{6}\right) \beta^{6} + \frac{15}{4} \alpha^{4} \beta^{2} - \frac{15}{4} \left(1 - \frac{\sigma}{3}\right) \alpha^{2} \beta^{4}$$

 $<sup>^{\</sup>mathrm{b}}$   $I_{\alpha}$  and  $\theta$  assumed as in Table 4.

<sup>\*</sup> We thank Dr. Th. Pedersen, Copenhagen, and Dr. B. P. van Eijek, Utrecht, for the calculation of the perturbation terms  $W^{(e)}$  and  $W^{(f)}$ .

<sup>\*</sup> with  $\alpha^n = FW_{v\sigma}^{(6)}\varrho_{\mathbf{a}}^n$ ;  $\beta^n = FW_{v\sigma}^{(6)}\varrho_{\mathbf{b}}^n$  and  $\sigma = \frac{2A - B - C}{B - C}$ 

#### **Determination of the Potential**

### 1. Analysis of the High J Lines

Two types of lines could be resolved: I) For the high I lines of Table 1 the splittings depend only on the even order terms of (1). II) The splittings of the K doublet transitions of Table 2 are mainly due to the linear term  $F \, \varrho_a \, W_{01}^{(1)} \, P_a$ . So, in principle the three internal rotation parameters  $(V_3, I_a)$  and  $(I_a)$  are separately determinable [22]. But an attempt to simultaneously fit all the lines of Table 1 and 2 to (1) converged to an unreasonably high  $I_a > 3.3 \, \text{uÅ}^2$ . A similar behavior was already found in dimethylallene and dimethylsulfide [23] and may be attributed to higher order effects which are not taken into account in the Hamiltonian (1) and to which the K doublet transitions are particularly sensitive.

In fact, it is known that  $I_a$  is most reliably determined using the inertial defects of the normal and the deuteriated species [22, 24]:

$$I_a = -\left[ \Delta(\text{CD}_3\text{CH}_2\text{CN}) - \Delta(\text{CH}_3\text{CH}_2\text{CN}) \right]$$
  
= 3.167 uÅ<sup>2</sup>. (4)

So we have adopted fixed values  $I_a=3.167\,\mathrm{uÅ^2}$  (from (4) and  $\mathrel{\swarrow}(i,a)=48.65^\circ$  (from the  $r_s$  structure [25]) while least-squares fitting only the reduced potential s to the experimental splittings of Table 1. The results are reported in Table 4 (fit I). We have repeated the fit for different values of the two fixed parameters  $I_a$  and  $\mathrel{\swarrow}(i,a)$  for the comparison with the literature and for studying the influence of the assumptions. The errors of  $V_3$  and s in Table 4 make an estimated allowance for the uncertainty of  $I_a$  (0.1 uŲ) and  $\mathrel{\swarrow}(i,a)$  (1°). One can notice that the uncertainty on  $V_3$  is mainly due to the error on  $I_a$ .

# 2. Analysis of the K-doublet transitions

While the first-order terms of the effective Hamiltonian (1) could be neglected in the analysis of the splittings of Table 1, they are the most important for explaining the splitting pattern of the K-doublet transitions of Table 2. For the A species no linear term exists  $(W_{0A}^{(1)}=0)$ . Their behavior is not different from that of other A-species lines. For the E-species, on the other hand, the K-doublet levels are connected by a large off-diagonal element due to  $P_a$  in the ARR basis. A large frequency shift and a breakdown of the ARR selection rules can be observed. Similar observations have already been made for several other molecules [26].

To gain more insight into the problem, we have determined the potential from each line splitting separately. With the same assumptions on  $I_a$  and  $\langle (i,a) \rangle$  of Table 4, the values of the barrier potential  $V_3$  are shown in Table 2. Inspection of Table 2 shows that the potential determined from the K-doublet transitions is significantly higher than that obtained from the other lines and that the difference increases with K. These facts probably indicate that the effective Hamiltonian (1) is not appropriate to explain satisfactorily the splittings of the K-doublet transitions. Similar conclusions have already been obtained for some other molecules [22] and a centrifugal distortion effect on the methyl top was proposed as explanation [27]. It is in principle possible to introduce in the Hamiltonian additional terms to account for the nonrigidity effects [28]. But as we dispose only of a few lines such an analysis was not attempted.

When one is interested only in the determination of  $V_3$  it should be noted that the potential from the K-doublet transitions is only 5% higher than that of Table 4. For many purposes this difference may be acceptable.

	Fit I	Fit II	Fit III	Fit IV
$s \ V_3/{ m cal/mole}$	$79.72 \pm 0.15^{\mathrm{a}} $ $3007 + 90^{\mathrm{a}}$	79.70 3013	79.43 3009	79.95 3003
Iα/u Ų	$3.\overline{167}^{\mathrm{b}}$	$3.159\mathrm{c}$	$3.167^{\mathrm{b}}$	3.167b
$\langle (i,a)/\mathrm{degr.}  angle$ $F/\mathrm{GHz}$	$rac{48.65^{\circ}}{175.809}$	$rac{48.65^{ ext{c}}}{176.209}$	$\begin{array}{c} 47 \\ 176.611 \end{array}$	$\frac{50}{175.163}$
$\sigma/kHz$	13.7	13.8	13.5	14.0

Table 4. Internal rotation parameters of CH<sub>3</sub>CH<sub>2</sub>CN.

<sup>c</sup> Calculated from the r<sub>s</sub> structure [25].

<sup>&</sup>lt;sup>a</sup> Allowance for uncertainty of  $I_{\alpha}$  and  $\langle (i, a) \rangle$  included (see text).

<sup>&</sup>lt;sup>b</sup> Calculated from the inertial defect Eq. (4).

#### Discussion

The previous determinations of the barrier are reported in Table 5. Laurie [29] first obtained the barrier from the splittings of the first excited torsional state, but without taking into account the interaction. Li and Durig [30] determined the barrier in  $CD_3CD_2CN$  from the splittings of some  $\mu_a$  transitions in the 3rd excited torsional state. We believe that their value cannot be compared to ours for two reasons: I) it is known that the barrier can

change significantly upon deuteriation of the methyl group (Table 6) and II) it is very unlikely that the 3rd excited torsional state does not interact with other vibrations.

Heise, Mäder, and Dreizler [4] obtained a value for  $V_3$  from the simultaneous analysis of the splittings of the rotational transitions in the two lowest excited vibrational states of torsion and CCN in plane-bend of three isotopic molecules: CH<sub>3</sub>CH<sub>2</sub>CN; CH<sub>3</sub>CH<sub>2</sub>C<sup>15</sup>N and CH<sub>3</sub>CD<sub>2</sub>CN. Their  $I_a$  differs from

Table 5. Internal rotation parameters of CH<sub>3</sub>CH<sub>2</sub>CN. Comparison with earlier work.

Reference	This work	This work	[4]	[29]	[30]
8 IV /1/1-	79.72	83.92	85	81.5	153.15(76.6)b
$V_3$ /cal/mole $V_6$ /cal/mole	$3007\pm90$	$^{3166}_{-}^{\pm}^{100}_{-}$	$egin{array}{ccc} 3226 \pm & 10 \ - & 172 \pm & 0.5 \end{array}$	$\frac{3005}{0} \pm 150$	$\frac{3002}{0} \pm 150$
$V_{3c}$ cal/(mole. rad)	$0\\48.65$	$0\\48.65$	$-$ 1421 $\pm$ 134 47.3	$0 \\ 48.1$	0 c
$ heta/ ext{degr.} I_lpha/ ext{u Å}^2$	3.167	3.167	3.159	3.197	c

<sup>&</sup>lt;sup>a</sup> Fixed to the value of [4]. <sup>b</sup> Mass corrected by  $m_D/m_H$ .

Table 6. Influence of the deuteriation on the potential.

Parent molecule	$V_N({ m CH_3})$ in cal/mole	Reference	Isotopic species	$V_N({ m CD_3})$ in cal/mole	Reference
CH <sub>3</sub> OH	1073.98 (6)	[31]	CD <sub>3</sub> OH	1063.14 (26)	[31]
$CH_3NO$	1137 (5)	[27]	$CD_3NO$	1095 (7)	[27]
$CH_3NO_2$	5.961(6)	[32]	$\mathrm{CD_3NO_2}$	5.19(3)	[33]
$CH_3NH_2$	1955.99	[34]	$\mathrm{CD_3ND_2}$	1920.54	[34]
$CH_3CH_2CN$	3007 (90)	this work	$\mathrm{CD_3CD_2CN}$	3002 (150)	[30]
CH <sub>3</sub> CHO	1233 (20)	[35]	$CD_3CHO$	1228 (100)	[35]
CH <sub>3</sub> COOH	480.8 (5)	[36]	$\mathrm{CD_{3}COOH}$	468 (2)	[36]
CH <sub>3</sub> CHS	1572 (30)	[37]	$CD_3CHS$	1501 (20)	[37]
$CH_3CHCH_2$	1963.4	[38]	$\mathrm{CD_3CDCD_2}$	1967	[38]
$\mathrm{CH_{3}GeH_{2}F}$	941 (20)	[39]	$\mathrm{CD_3GeH_2F}$	921 (20)	[39]
$CH_3OPF_2$	422 (5)	[40]	$\mathrm{CD_3OPF_2}$	404 (5)	[40]
$CH_3OSiH_3$	557	[41]	$\mathrm{CD_3OSiH_3}$	510	[41]
$(CH_3)_2S$	2136(2)	[42]	$(\mathrm{CD_3})_2\mathrm{S}$	2097.3(4)	[42]
$(CH_3)_2Se$	1500	[43]	$(CD_3)_2Se$	1493 (9)	[44]
$(CH_3)_2CO$	757.1 (25)	[45]	$(CD_3)_2CO$	732.3 (25)	[45]
$\mathrm{CH_{3}CHN_{2}}$	773.9 (10)	[46]	$\mathrm{CD_3CHN_2}$	770.4 (10)	[46]
$CH_3NC_4H_4$	133.5	[47]	$\mathrm{CD_3NC_4H_4}$	113.0	[47]
$\mathrm{CH_{3}C_{6}H_{5}}$	13.95(2)	[48]	$\mathrm{CD_3C_6H_5}$	11.79(2)	[48]
$CH_3BF_2$	13.77(3)	[49]	$\mathrm{CD_3BF_2}$	12.12(3)	[50]
$CH_3CHNCH_3$	1741.55	[51]	$\mathrm{CD_3CHNCH_3}$	1703.81	[51]
$\overline{\mathrm{CH_3}}\mathrm{CHNCH_3}$	2197.55	[51]	$\overline{\mathrm{CH_3}}\mathrm{CHNCD_3}$	2151.57	[51]
CH <sub>3</sub> COCH <sub>2</sub> CH <sub>2</sub>	517.6 (10)	[52]	$CD_3CO\overline{CH_2}CH_3$	497.1 (10)	[52]
$\overline{\mathrm{CH_3}}\mathrm{SCN}$	1589	[53]	$\overline{\mathrm{CD_3}}\mathrm{SCN}$	1553 (12)	[54]
CH <sub>3</sub> SeCN	1241 (50)	[55]	$CD_3SeCN$	1228 (50)	[55]
CH <sub>3</sub> CHCHCH <sub>3</sub> cis	747.6 (41)	[56]	$CD_3CHCHCD_3$	777 (30)	[57]
$(CH_3)_2O$	2618 (4)	[58]	$(CD_3)_2O$	2572 (6)	[58]

Conversion factors used: 1 cm<sup>-1</sup> = 2.85922 cal/mole; 1 MHz =  $9.53731 \times 10^{-5}$  cal/mole.

c These values cannot be compared because they do not correspond to same isotopic species.

this work but the results of Table 4 show that the difference is not very significant. However they use two further potential coefficients:  $V_6$  and  $V'_{3c}$ . Introduction of their  $V_6 = -172 \text{ cal/mol}$  in our analysis leads to s = 83.92. The remaining discrepancy may be eliminated by the introduction of  $V'_{3c}$  which is strongly correlated to  $V_3$ .

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